The Implementation of Lua 5.0

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MAIN GOALS

- Portability
 - ANSI C and C++
 - avoid dark corners
- Simplicity
 - small size
- Efficiency

VALUES AND OBJECTS

- Values represent all Lua values
- Objects represent values that involve memory allocation
 - strings, tables, functions, heavy userdata, threads
- Representation of Values: tagged unions

typedef union {	typedef struct lua_TValue {
GCObject *gc;	Value value;
<pre>void *p;</pre>	int tt
lua_Number n;	<pre>} TValue;</pre>
int b;	
<pre>} Value;</pre>	

OBJECTS

- Pointed by field GCObject *gc in values
- Union with common head:

GCObject *next; lu_byte tt; lu_byte marked

- Redundant tag used by GC
- Strings are hibrid
 - Objects from an implementation point of view
 - Values from a semantics point of view

STRINGS

• Represented with explicit length

- Internalized
 - save space
 - save time for comparison/hashing
 - more expensive when creating strings

IMPLEMENTATION OF **T**ABLES

- Each table may have two parts, a "hash" part and an "array" part
- Example: $\{n = 3; 100, 200, 300\}$





• Hashing with internal lists for collision resolution

• Run a *rehash* when table is full:



Avoid secondary collisions, moving old elements when inserting new ones





- Problem: how to distribute elements among the two parts of a table?
 - or: what is the best size for the array?

- Sparse arrays may waste lots of space
 - A table with a single element at index 10,000 should not have 10,000 elements

TABLES: ARRAY PART (2)

• How should next table behave when we try to insert index 5?

 $a = \{n = 3; 100, 200, 300\}; a[5] = 500$



COMPUTING THE SIZE OF A TABLE

- When a table rehashes, it recomputes the size of both its parts
- The array part has size N, where N satisfies the following rules:
 - N is a power of 2
 - the table contains at least N/2 integer keys in the interval [1, N]
 - the table has at least one integer key in the interval [N/2 + 1, N]
- Algorithm is O(n), where n is the total number of elements in the table

COMPUTING THE SIZE OF A TABLE (2)

- Basic algorithm: to build an array where a_i is the number of integer keys in the interval (2ⁱ⁻¹, 2ⁱ]
 - array needs only 32 entries

- Easy task, given a fast algorithm to compute $\lfloor \log_2 x \rfloor$
 - the index of the highest one bit in x

COMPUTING THE SIZE OF A TABLE (3)

• Now, all we have to do is to traverse the array:

```
total = 0
bestsize = 0
for i=0,32 do
    if a[i] > 0 then
       total += a[i]
       if total >= 2^(i-1) then
        bestsize = i
       end
    end
end
```



- Most virtual machines use a stack model
 - heritage from Pascal *p-code*, followed by Java, etc.

• Example in Lua 4.0:

V	hile a <lim< th=""><th>do</th><th>a=a+1</th><th>er</th><th>nd</th></lim<>	do	a=a+1	er	nd
3	GETLOCAL	0		;	a
4	GETLOCAL	1		;	lim
5	JMPGE	4		;	to 10
6	GETLOCAL	0		;	a
7	ADDI	1			
8	SETLOCAL	0		;	a
9	JMP	-7		;	to 3

ANOTHER MODEL FOR VIRTUAL MACHINES

- Stack-machine instructions are too low level
- Interpreters add high overhead per instruction
- Register machines allow more powerful instructions



- Overhead to decode more complex instruction is compensated by fewer instructions
- "registers" for each function are allocated on the execution stack at activation time
 - large number of registers (up to 256) simplifies code generation

INSTRUCTION FORMATS

• Three-argument format, used for most operators

31 23	22 14	13	6 5 0
C	В	А	OP

- All instructions have a 6-bit opcode
- Operand A refers to a register
- Operands B and C can refer to a register or a constant
 - a constant can be any Lua value, stored in an array of constants private to each function

INSTRUCTION EXAMPLES

ADD	0	0	259	; a = a+1
DIV	0	259	0	; a = 1/a
GETTABLE	0	1	260	; a = t.x
SETTABLE	0	1	260	; t.x = a

• assuming that the variable a is in register 0, t is in register 1, the number 1 is at index 3 in the array of constants, and the string "x" is at index 4.

INSTRUCTION FORMATS

- There is an alternative format for instructions that do not need three arguments or with arguments that do not fit in 9 bits
 - used for jumps, access to global variables, access to constants with indices greater than 256, etc.

31	14 13	65	0
Bx	A		OP

INSTRUCTION EXAMPLES

GETGLOBAL	0	260	;	a	=	X	
SETGLOBAL	1	260	;	x	=	t	
LT	0	259	;	a	<	1	?
JMP	*	13					

- assuming that the variable a is in register 0, t is in register 1, the number 1 is at index 3 in the array of constants, and the string "x" is at index 4.
- conceptually, LT skips the next instruction (always a jump) if the test fails. In the current implementation, it does the jump if the test succeeds.
- jumps interpret the Bx field as a signed offset (in excess-2¹⁷)

CODE EXAMPLE

(all variables are local)

while i<lim do a[i] = 0 end

-	Lua 4.0				
2	GETLOCAL	2	• •	i	
3	GETLOCAL	1	;	lim	
4	JMPGE	5	;	to 10	
5	GETLOCAL	0	;	a	
6	GETLOCAL	2	;	i	
7	PUSHINT	0			
8	SETTABLE				
9	JMP	-8	;	to 2	

-	Lua 5.0					
2	JMP	* 1	; to 4			
3	SETTABLE	0 2 256	; a[i] = 0			
4	LT	* 2 1	; i < lim?			
5	JMP	* -3	; to 3			

CLOSURES

- Lua has first-class functions with lexical scoping
- Variables in each function may have different scopes



- Small implementation rules out complex algorithms
- One-pass compiler cannot know in advance whether a variable is used by a inner function
 - How to assign variables to the stack?

IMPLEMENTATION OF CLOSURES (1/4)

- All variables go to the stack
- Use of *upvalues* to represent external variables
- When a Closure is created, it searchs for an upvalue for each of its external variables
 - if upvalue not found, create a new one
 - search is fast, because lists are typically very short

IMPLEMENTATION OF CLOSURES (2/4)



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IMPLEMENTATION OF CLOSURES (3/4)

• All accesses to external variables are through a pointer in the upvalue

- When an upvalue in the stack goes out of scope, the upvalue is closed
 - upvalue is removed from list
 - the value is copied to an area in the upvalue itself
 - the upvalue points to itself

IMPLEMENTATION OF CLOSURES (4/4)





INCREMENTAL GARBAGE COLLECTOR

- Uses a three-color algorithm
 - white objects are not marked
 - grey objects are marked but not traversed
 - black objects are marked and traversed
- Main invariant: black objects never point to white objects
- Well known, but with several undocumented details

THREE-COLOR ALGORITHM: MARK

- Mark root objects as grey
- At each step, traverses a grey object (turning it black) and mark new accessible objects as grey
- Stops when there are no more grey objects; white objects are garbage
- Write barrier detects when storing a white object into a black one
- Optimization: stacks are always grey
 - avoids barrier when writing to stacks

THREE-COLOR ALGORITHM: ATOMIC STEP

- Traverses stacks
- Separates dead userdata with finalizers
- Traverses them
- Clears weak tables
- Changes white objects to dead
 - trick: toggles between two whites

THREE-COLOR ALGORITHM: SWEEP

• Sweep all objects

• Collect dead objects

• Change black objects to white

GARBAGE-COLLECTOR DETAILS

- Upvalues x dead threads
 - dead threads are not traversed in the atomic step but when alive they may have changed value pointed by an upvalue
 - because threads have no barrier, upvalue may point to dead object

• solution: traverse all open upvalues in the atomic step

GARBAGE-COLLECTOR DETAILS (2)

- Granularity
 - several tasks are atomic
 - seems to be no problem in real use
- Step size
 - how much to do at each step?
 - how to compare ?step size? across different phases?
- Collector speed
 - stops between steps and between collections

FINAL REMARKS

- Lexical scoping: no overhead for non users
- Virtual machine: good performance gains
 - plus potential gains with CSE optimizations
 - compiler for register-based machine is more complex
- Representation for tables
 - arrays save more than 50% memory
 - efficient representation both for dense and sparse arrays
- Incremental Garbage Collector